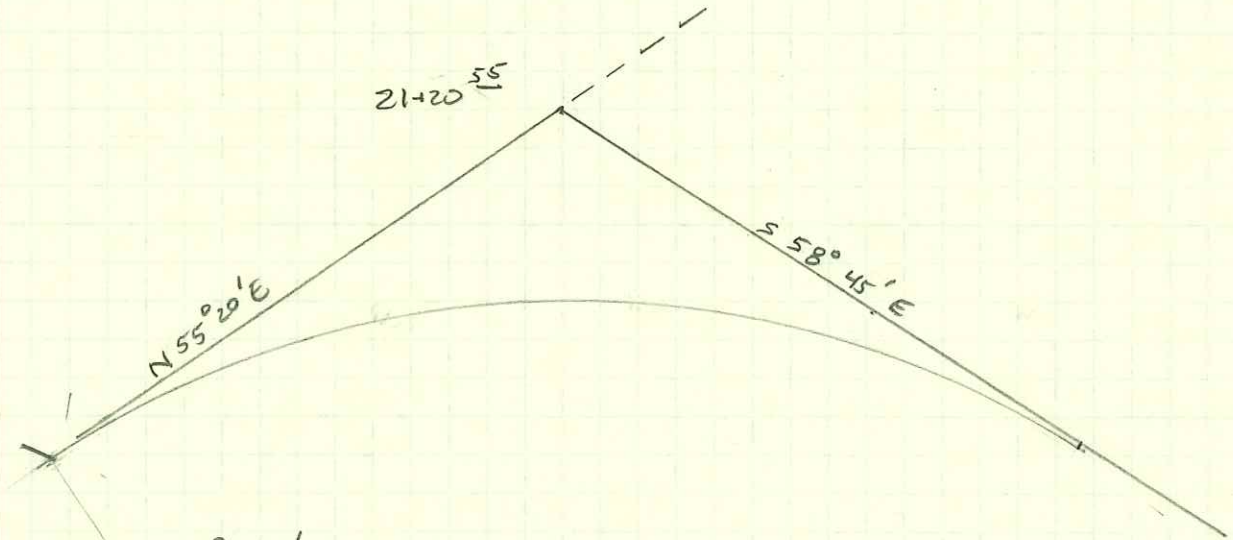


$$R = 300'$$



$$1) \Delta = 65^{\circ} 55'$$

$$2) D = 5729.58 / 300' = 19^{\circ} 06'$$

$$3) T = 300' \tan 65^{\circ} 55' / 2 = 194 \underline{51}'$$

$$4) PC = 21+20 \underline{55} - 194 \underline{51}' = 19+26 \underline{04}$$

$$5) L = \frac{100'}{19.1} = \frac{L}{65.92} = 345 \underline{19}'$$

$$6) PT = 1926 \underline{04} + 345 \underline{19} = 22+71 \underline{23}$$

INTERSECTION IS AT 21+30 50 ON THE L-LINE

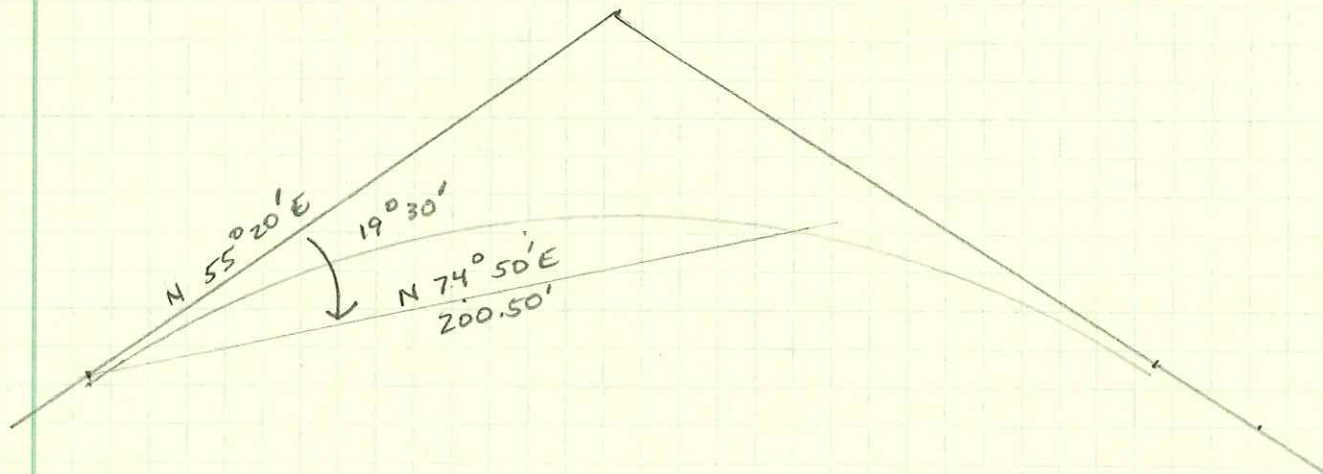
$$7) \text{ARC LENGTH TO } 21+30 \underline{50} = 2130 \underline{50} - 1926 \underline{04} = 204 \underline{46}$$

8) NEED $d_{204.46}$

$$\frac{100}{19.1} = \frac{204 \underline{46}}{d} = 39.052 \quad 39^{\circ} 03'$$

$$\text{OR} \quad \frac{345.19}{65.917} = \frac{204 \underline{46}}{d}$$

$$9) \text{ defl } \angle = \frac{1}{2} 39.03 = 19^{\circ} 31'$$



10) CHORD LENGTH

$$\begin{aligned} C_{204.46} &= 2R \sin d/2 \\ &= 2(300) \sin 39.03'/2 \\ &= 200.50' \end{aligned}$$

STAKING BY WAGON WHEEL

$$PC = 19 + 26.04$$

$$\begin{aligned} d_a \text{ FOR } 23.96 &= 23.96/100 (19.06') = 4.576^{\circ} \\ &= 4^{\circ} 34' \end{aligned}$$

$$\angle = 4.576/2 = 2.29^{\circ}$$

$$d_{25} = 4.775^{\circ}$$

$$d_b = \text{FOR } 5.5' = 0.5$$

AMPAD

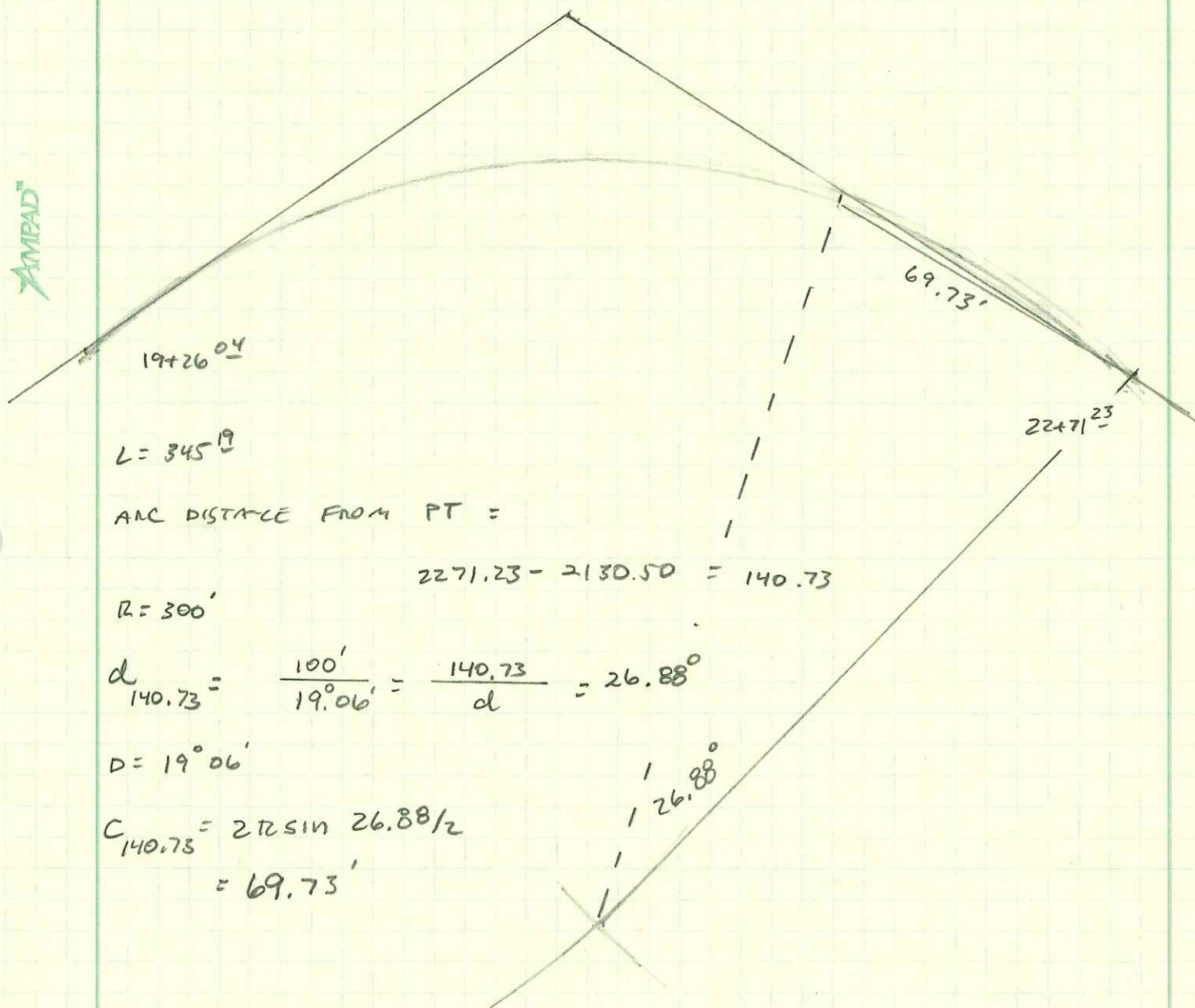
STA		4	4	4/2
19+26.04		1/2 d	2.29	2.29
19+50		d	4.775	2.39
19+75		d		
20+00		d		
20+25		d		
20+50		d		
20+75		d		
21+00		d		
21+25		d		
2+30.5	d	1.05		<u>0.52</u>

19.52⁰

CHECK

MONDAY PROBLEM BY TANGENT OFFSET

DETERMINED THE STATION AT 21+30⁵⁰



$L = 345.19$

ARC DISTANCE FROM PT =

$2271.23 - 2130.50 = 140.73$

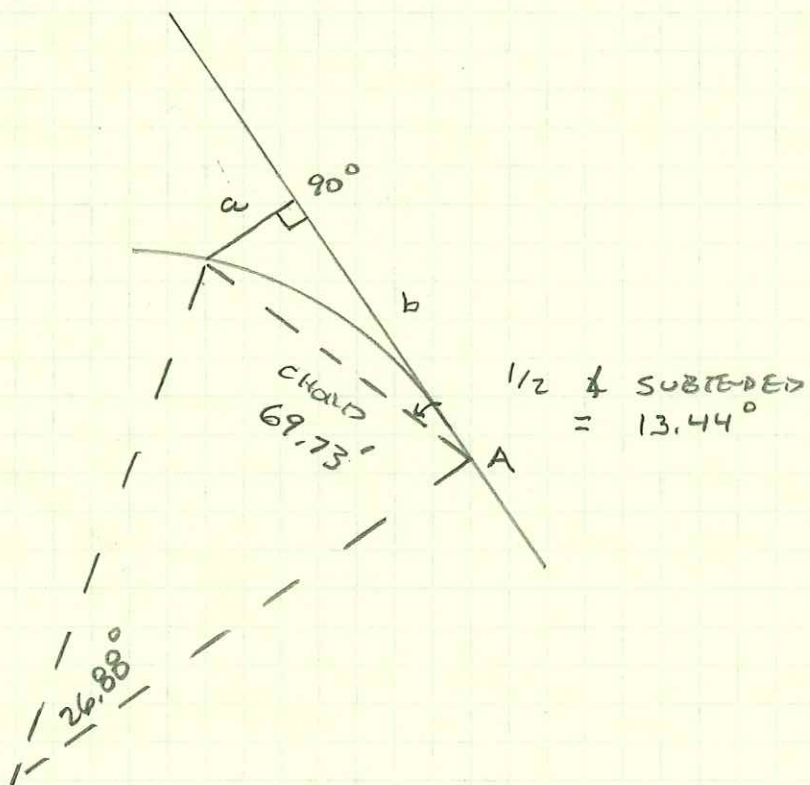
$R = 300'$

$d_{140.73} = \frac{100'}{19.06'} = \frac{140.73}{d} = 26.88^\circ$

$D = 19^\circ 06'$

$C_{140.73} = 2R \sin 26.88/2$
 $= 69.73'$

AMRAD



$$TD = a =$$

$$\frac{a}{\sin A} = \frac{c}{\sin C}$$

$$c = 90^\circ \quad \text{so}$$

$$\frac{a}{\sin A} = c$$

$$a = c \sin A$$

$$a = 69.73 \sin 13.44^\circ$$

$$= 16.2'$$

$$TD = b = \sqrt{(16.2^2 + 69.73^2)}$$

$$a^2 + b^2 = c^2$$

$$\text{so: } 16.2^2 + b^2 = 69.73^2$$

$$b^2 = 67.8^2$$

FROM PC

$$d = 39.052^\circ$$

$$C = 200.50'$$

$$\begin{aligned}
 TD &= C \sin d/2 \\
 &= 200.50' \sin 39.052/2 \\
 &= 67.0'
 \end{aligned}$$

$$TD = (200.50^2 - 67.0^2)^{0.5} = 188.97$$

OR

$$\begin{aligned}
 TD &= (\cos d/2) C \\
 (\cos 39.052/2) 200.50 &= 188.97
 \end{aligned}$$

SINCE $TD < T$ WE CAN USE THIS
 BUT FROM PT IS MUCH EASIER

AMPAD